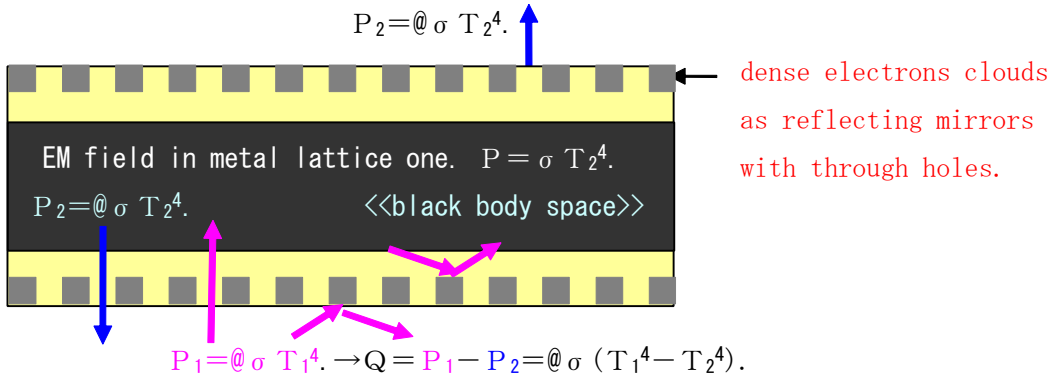


Better heat insulator could be implemented by radiation heat transfer views.

[1]: A simple heat radiation model of metal with radiation rate $\{\theta\}$.

Note blight metal surface is caused from dense electron clouds.

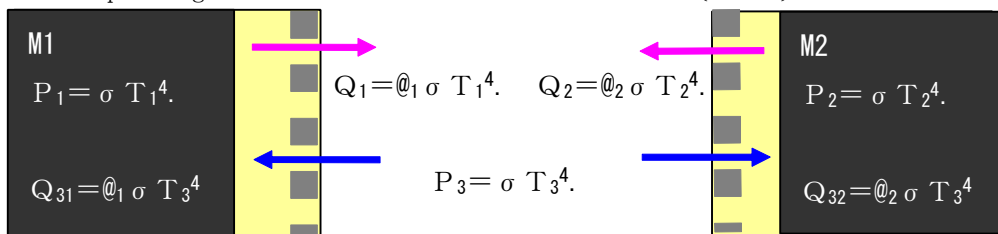
Also note that (metal) radiation rate θ is passing probability of radiation.



[2]: Radiation passing and reflection between metal of radiation rate $\{\theta_1, \theta_2\}$.

Originally a non equilibrium transport phenomena never be treated by equilibrium-thermodynamics. Here is electro-magnetic dynamics of reflection and absorbtion.

Radiation repeating reflection and absorbtion between $\{M1-M2\}$ is accounted.



$$Q_{32} = Q_1 \theta_2 \{1 + (1-\theta_2)(1-\theta_1) + (1-\theta_2)^2(1-\theta_1)^2 + \dots\} + Q_2 \theta_2 (1-\theta_1) \{1 + (1-\theta_2)(1-\theta_1) + (1-\theta_2)^2(1-\theta_1)^2 + \dots\}$$

$$* Q_{32} = [\theta_2 / (1 - (1-\theta_1)(1-\theta_2))] [Q_1 + Q_2]. * Q_{31} = [\theta_1 / (1 - (1-\theta_1)(1-\theta_2))] [Q_1 + Q_2].$$

$$* P_3 = \sigma T_3^4 = \sigma [\theta_1 T_1^4 + \theta_2 T_2^4] / (1 - (1-\theta_1)(1-\theta_2)).$$

$$T_3^4 = [\theta_1 T_1^4 + \theta_2 T_2^4] / (1 - (1-\theta_1)(1-\theta_2)).$$

$$\begin{aligned} Q_1 - Q_{31} &= Q_1 [(1 - (1-\theta_1)(1-\theta_2)) / (1 - (1-\theta_1)(1-\theta_2))] - [\theta_1 / (1 - (1-\theta_1)(1-\theta_2))] [Q_1 + Q_2] \\ &= Q_1 [(1 - 1 + \theta_1 + \theta_2 - \theta_1 \theta_2) / (1 - (1-\theta_1)(1-\theta_2))] - [\theta_1 / (1 - (1-\theta_1)(1-\theta_2))] [Q_1 + Q_2] \\ &= \theta_2 Q_1 [(1-\theta_1) / (1 - (1-\theta_1)(1-\theta_2))] - \theta_1 Q_2 / (1 - (1-\theta_1)(1-\theta_2)) \\ &= \langle \theta_2 Q_1 - \theta_1 Q_2 \rangle / (1 - (1-\theta_1)(1-\theta_2)) = \theta_1 \theta_2 \sigma \langle T_1^4 - T_2^4 \rangle / (1 - (1-\theta_1)(1-\theta_2)). \end{aligned}$$

Thus non-equilibrium heat flows are accounted as follows.

$$Q_1 - Q_{31} = \epsilon_1 \epsilon_2 \sigma \langle T_1^4 - T_2^4 \rangle / (1 - (\epsilon_1 - \epsilon_2) \epsilon_2)$$

$$Q_2 - Q_{32} = \epsilon_1 \epsilon_2 \sigma \langle T_2^4 - T_1^4 \rangle / (1 - (\epsilon_1 - \epsilon_2) \epsilon_1) = -(Q_1 - Q_{31})$$

Note distance between {M1-M2} is no concern. Also note $Q_1 - Q_2 = \epsilon_1 \sigma T_1^4 - \epsilon_2 \sigma T_2^4$ is not correct.

example1 : $\epsilon_1 = 0.04 \sim 0.06$, $Q_1 - Q_{31} = 0.026 \sigma \langle T_1^4 - T_2^4 \rangle$.

	$T_1 = 273 + 40$	$T_1 = 273 + 100$	$T_1 = 273 + 150$
$T_2 = 273 + 10$	$Q_1 - Q_{31} = 4.7W$	$Q_1 - Q_{31} = 19W$	$Q_1 - Q_{31} = 38W$

$\sigma T (273 + 100)^4 = 1086W/m^2$, while $J \equiv (Q_1 - Q_{31})$ are very small flow.

A better heat insulator could be realizable by "Aluminum double shielding".

conductivity $\kappa = 0$ of "vacume" is the best spacer (-bottle),
 $\kappa = 0.026$ of air has a defect of convective heat transfer.
 $\kappa = 0.035W/mK$ of bubble polystyren sheets is the 2nd ?

example2 : $J_{12} = \kappa_{12} \langle T_1 - T_2 \rangle / d_{12}$. $\kappa = 0.035W/mK$.

$T_2 = 273 + 10$	$T_1 - T_2 = 30$	$T_1 - T_2 = 50$	$T_1 - T_2 = 90$	$T_1 - T_2 = 140$
$d_{12} = 0.03m$	$35W/m^2$	58	105	163
$d_{12} = 0.05m$	21	35	63	98
$d_{12} = 0.10m$	11	18	32	49